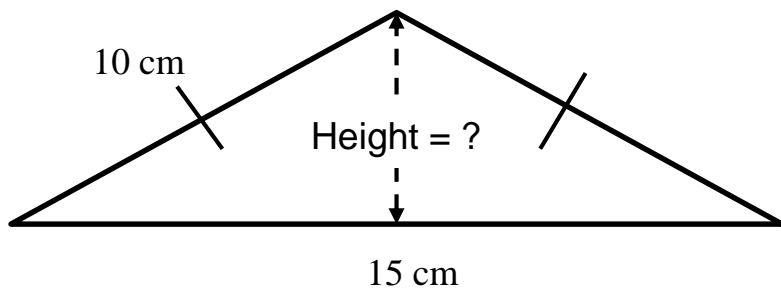
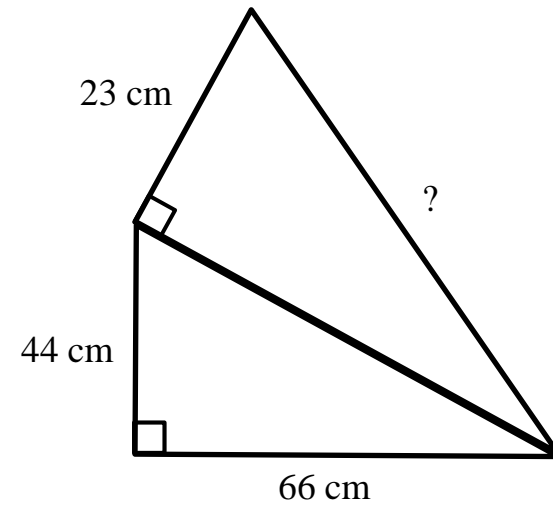
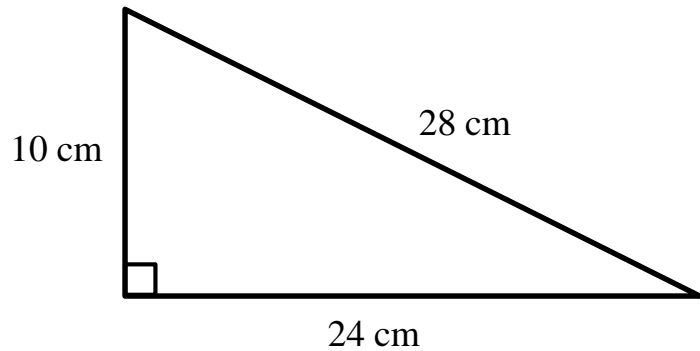


This file contains;

- 1.This slide
- 2.One slide of questions based on using Pythagoras
- 3.One slide of questions based on using standard trigonometry
- 4.One slide of questions based on using the cosine rule
- 5.One slide of questions based on using the sine rule
- 6.One slide of questions based on using the sine rule for area
- 7.One slide containing answers

Slides aren't titled to make students think further.

Is this triangle drawn accurately?

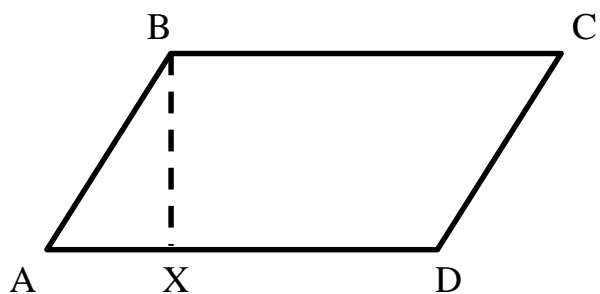
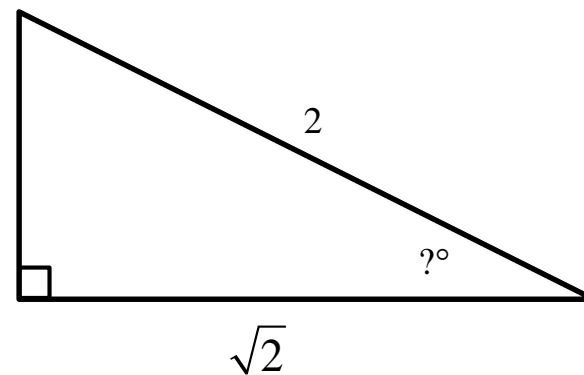
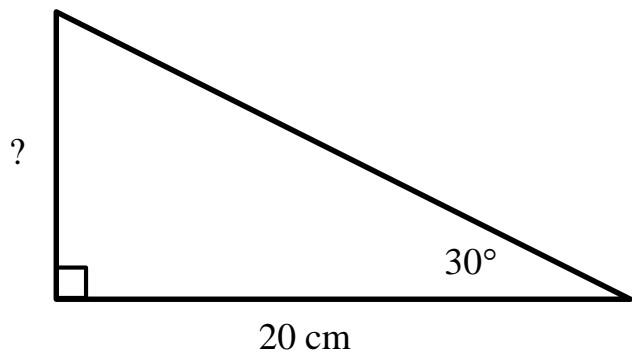


* not a right-angled triangle



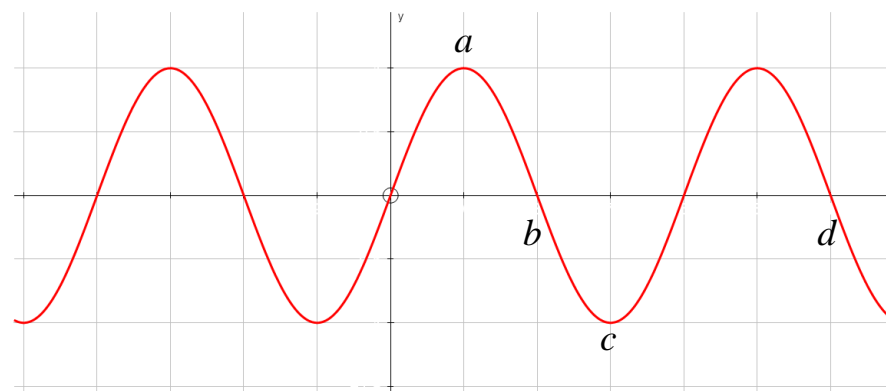
What is the maximum length umbrella that can fit into a suitcase of these dimensions?

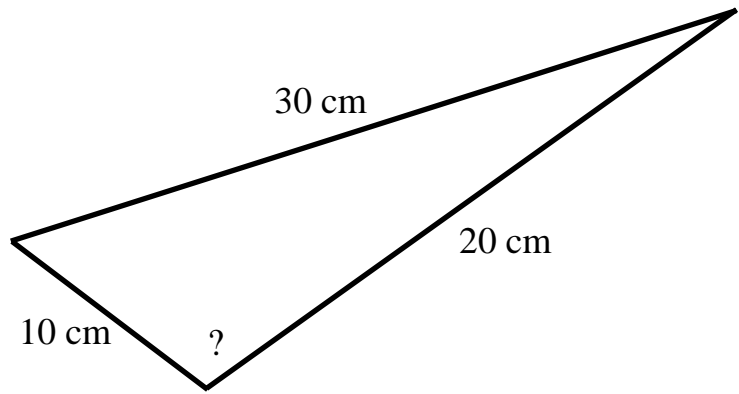
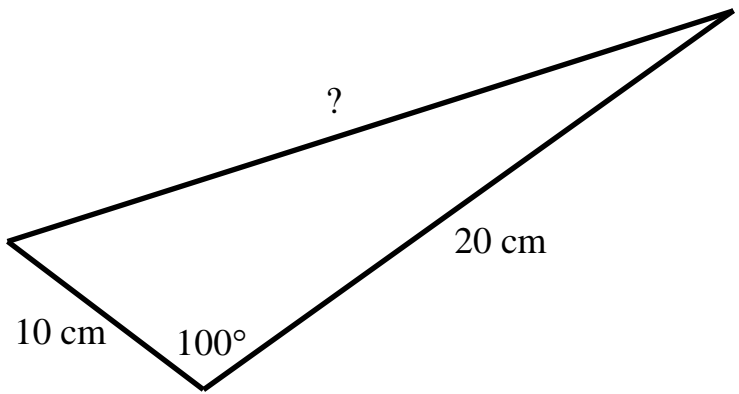
66 cm × 44 cm × 23 cm



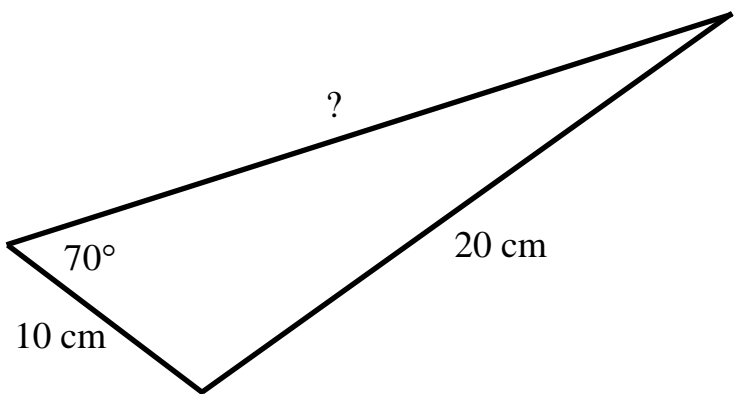
ABCD is a parallelogram.
 $AX = 4 \text{ cm}$ $BC = 8 \text{ cm}$ $\angle BAD = 48^\circ$
 Calculate the length of the longer diagonal.

The graph of $y = \sin x$ is shown below.
 What are the coordinates of a , b , c and d ?

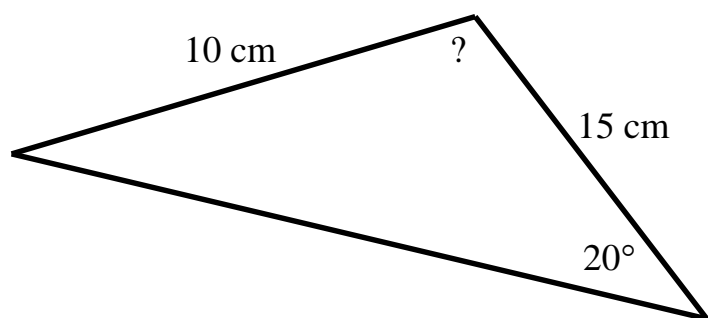
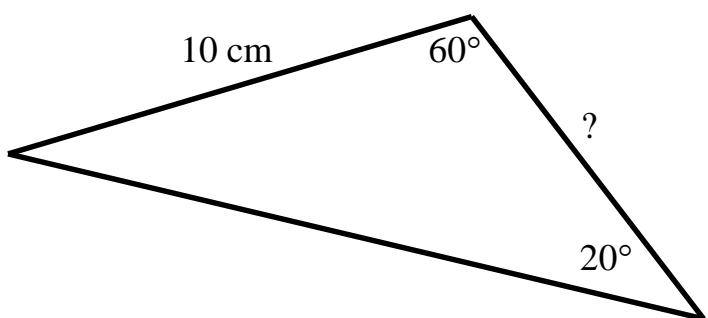
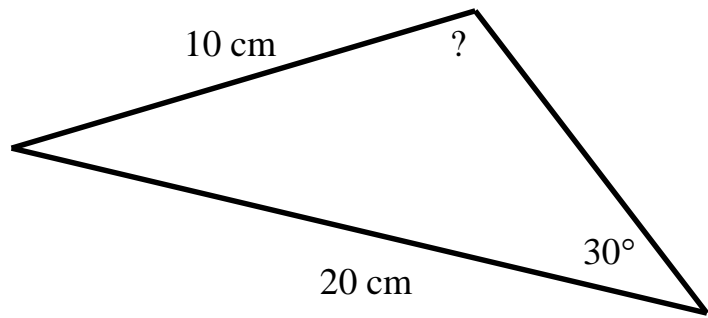
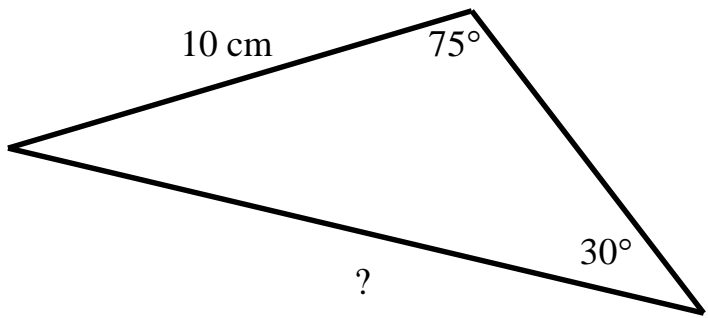


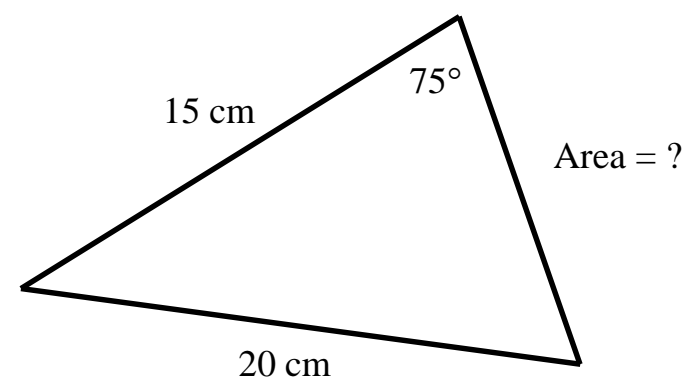
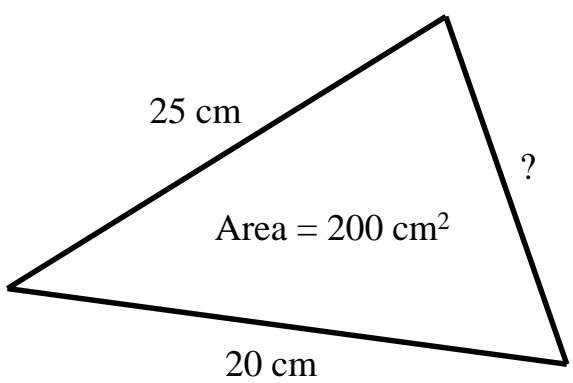
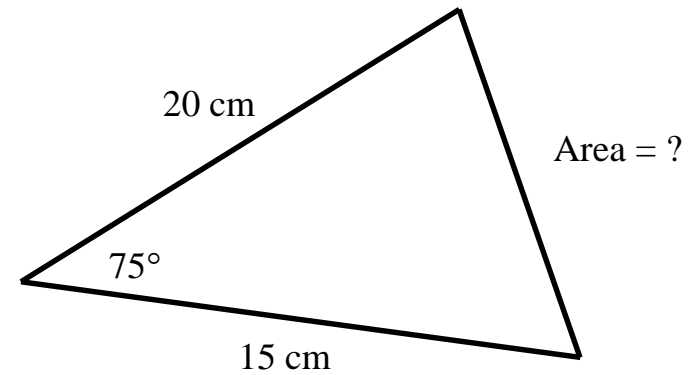
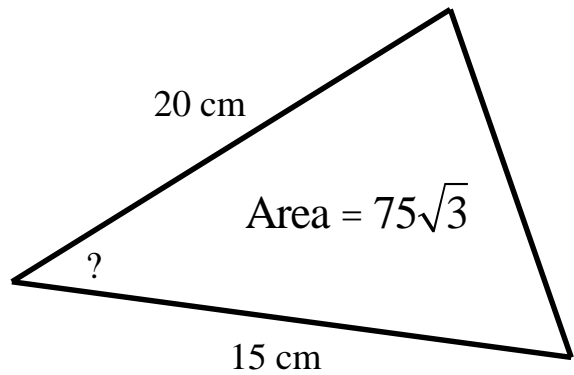


Drawn accurately?



In the triangle PQR,
 $PQ = 4 \text{ cm}$ $QR = 5 \text{ cm}$ $\angle PQR = 225^\circ$
Calculate the length of PR.





Give both possible answers

Answers

Pythagoras (the one with the suitcase)

- 1.No, $10^2 + 24^2 \neq 28^2 \therefore$ non RA.
- 2.82.59 cm
3. $(5\sqrt{7})/2 \approx 6.61$
- 4.82.59 cm (same answer as question 2)

Standard Trig (the one with the sin graph)

1. $(20\sqrt{3})/3 \approx 11.55$
2. 45°
- 3.12.27 cm
- 4.(90, 1), (180,0), (270,-1), (540,0)

Cosine Rule (one with the worded question)

- 1.23.86 cm
2. $180^\circ \therefore$ not a triangle (check the lengths)
- 3.21.07 cm
4. $(41+20\sqrt{2})^{1/2} \approx 8.32$ cm

Sine Rule

1. $5\sqrt{6}+5\sqrt{2} \approx 19.31$ cm
2. 90°
- 3.19.69 cm
4. 129.13°

Sine Rule for Area (one about areas)

1. 60°
2. $(75\sqrt{6}+75\sqrt{2})/2 \approx 144.89$ cm²
- 3.20.615 cm and 40.31 cm
- 4.128 cm²